# **Chapter NLP:II**

## II. Corpus Linguistics

- □ Empirical Research
- Hypothesis Testing
- □ Text Corpora
- Data Acquisition
- Data Annotation

## **Corpus Linguistics**

- The study of language as expressed in principled collections of natural language texts, called text corpora.
- □ Aims to derive knowledge and rules from real-world text.
- Covers both manual and automatic analysis of text.

## **Corpus Linguistics**

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### Three main techniques:

- 1. Analysis. Developing and evaluating methods based on a corpus.
- 2. Annotation. Coding data with categories to facilitate data-driven research.
- 3. Abstraction. Mapping of annotated texts to a theory-based model.
- → Need for text corpora: Without a corpus, it's hard to develop a strong approach—and impossible to reliably evaluate it.

"It's often not the one who has the best algorithm that wins.

It's who has the most data."

### **Definition 1 (Text Corpus** [Butler 2004])

A text corpus is (an electronically stored) collection of data designed with according to specific corpus design criteria to be maximally representative of (a particular variety of) language or other semiotic systems.

The basic unit for representing text is typically a word (captures meaning).

### Examples:

- 200,000 product reviews for sentiment analysis
- 1,000 news articles for part-of-speech tagging

### Corpora in NLP:

- NLP approaches are developed and evaluated on text corpora.
- Usually, the corpora contain annotations of the output information type to be inferred.

#### Text as Data

**Bits:** A sequence of bits that symbolize text when decoded into glyphs [cf WT:II-166 ff.] **String:** concatenation of glyphs (alphabet elements)

- "Hello world!", "", "00010111100010101", "To be or not to be..."
- essential, elementary data type in computer linguistics
- common operations: e.g.
  - concatenation: "Hello" + "World!" + "!" → "Hello World!"
  - splitting: split("Hello World!", "") → {"Hello", "World!"}
  - case conversion: uppercase("Hello") → "HELLO"
  - substring: substr("Hello", start = 0, length = 4) → "Hell"

### **Document:** compound data type

□ (collection of) strings (e.g. title, body) [+ Metadata]

## Corpus: collection of documents

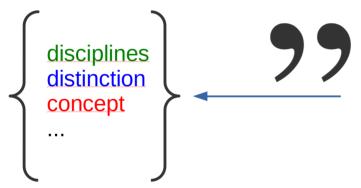
Text as Data (continued)

Type: (cp. class)

(abstract) string representing a meaningful concept, e.g. words

Token: (cp. object)

□ (concrete) string as instance of a meaningful concept



In disciplines such as knowledge representation and philosophy, the type—token distinction is a distinction that separates a concept from the objects which are particular instances of the concept."

(Wikipedia → Type-token distinction)

### Vocabulary:

complete set of all types occurring in a [document | collection]

#### Metadata

Metadata = text external context / covariate

Metadata = data facet

- Subselections of sources
- Aggregation / differentiation of results

 $context \rightarrow contrast \rightarrow meaning$ 

### Research in Language Use

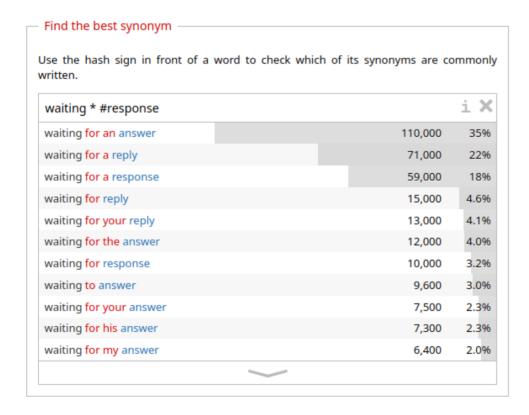
Concordance: (alphabetical) list of principal words (or phrases) used in a book (nowadays: corpus) listing every instance of each with immediate context



[www.sketchengine.eu]

Research in Language Use (continued)

Compare usages of a word, analyse keywords, analyse frequencies, find phrases, idioms, etc.



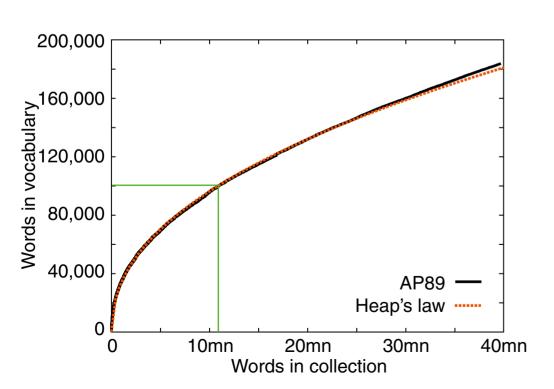
[netspeak.org]

Vocabulary Growth: Heaps' Law

The vocabulary V of a collection of documents grows with the collection. Vocabulary growth can be modeled with Heaps' Law:

$$|V| = k \cdot n^{\beta},$$

where n is the number of non-unique words, and k and  $\beta$  are collection parameters.



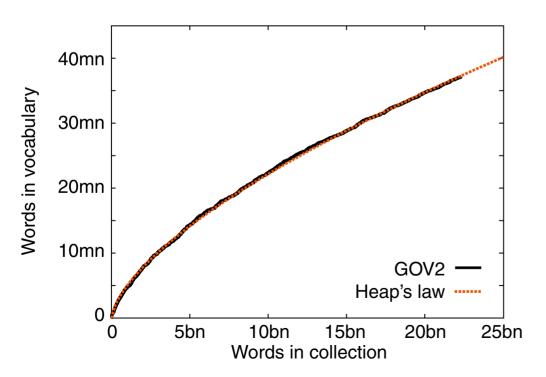
- □ Corpus: AP89
- $k = 62.95, \beta = 0.455$
- □ At 10, 879, 522 words: 100, 151 predicted, 100, 024 actual.
- ightharpoonup At < 1,000 words: poor predictions

Vocabulary Growth: Heaps' Law

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- □ Corpus: GOV2
- $k = 7.34, \beta = 0.648$
- Vocabulary continuously grows in large collections
- New words include spelling errors, invented words, code, other languages, email addresses, etc.

Term Frequency: Zipf's Law

- The distribution of word frequencies is very skewed: Few words occur very frequently, many words hardly ever.
- □ For example, the two most common English words (the, of) make up about 10% of all word occurrences in text documents. In large text samples, about 50% of the unique words occur only once.

George Kingsley Zipf, an American linguist, was among the first to study the underlying statistical relationship between the frequency of a word and its rank in terms of its frequency, formulating what is known today as Zipf's law.

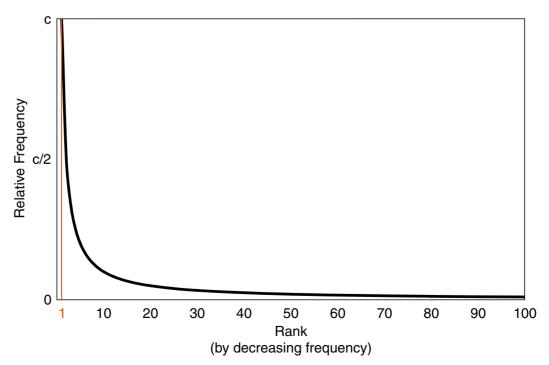
For natural language, the "Principle of Least Effort" applies.

Term Frequency: Zipf's Law (continued)

The relative frequency P(w) of a word w in a sufficiently large text (collection) inversely correlates with its frequency rank r(w) in a power law:

$$P(w) = \frac{c}{(r(w))^a} \qquad \Leftrightarrow \qquad P(w) \cdot r(w)^\alpha = c,$$

where c is a constant and the exponent a is language-dependent; often  $a \approx 1$ .



Term Frequency: Zipf's Law (continued)

Example: Top 50 most frequent words from AP89. Have a guess at *c*?

$\overline{r}$	$\overline{w}$	frequency	$P \cdot 100$	$P \cdot r$	$\overline{r}$	$\overline{w}$	frequency	$P \cdot 100$	P
		• •			-				
1	the	2,420,778	6.09	0.061	26	has	136,007	0.34	0.0
2	of	1,045,733	2.63	0.053	27	are	130,322	0.33	0.0
3	to	968,882	2.44	0.073	28	not	127,493	0.32	0.0
4	а	892,429	2.25	0.090	29	who	116,364	0.29	0.0
5	and	865,644	2.18	0.109	30	they	111,024	0.28	0.0
6	in	847,825	2.13	0.128	31	its	111,021	0.28	0.0
7	said	504,593	1.27	0.089	32	had	103,943	0.26	0.0
8	for	363,865	0.92	0.073	33	will	102,949	0.26	0.0
9	that	347,072	0.87	0.079	34	would	99,503	0.25	0.0
10	was	293,027	0.74	0.074	35	about	92,983	0.23	0.0
11	on	291,947	0.73	0.081	36	i	92,005	0.23	0.0
12	he	250,919	0.63	0.076	37	been	88,786	0.22	0.0
13	is	245,843	0.62	0.080	38	this	87,286	0.22	0.0
14	with	223,846	0.56	0.079	39	their	84,638	0.21	0.0
15	at	210,064	0.53	0.079	40	new	83,449	0.21	0.0
16	by	209,586	0.53	0.084	41	or	81,796	0.21	0.0
17	it	195,621	0.49	0.084	42	which	•	0.20	0.0
18	from	189,451	0.48	0.086	43	we	80,245	0.20	0.0
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Term Frequency: Zipf's Law (continued)

Example: Top 50 most frequent words from AP89. For English:  $c \approx 0.1$ .

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### Remarks:

### □ Collection statistics for AP89:

84,678
39,749,179
198,763
4,169
70,064

Term Frequency: Zipf's Law (continued)

For relative frequencies, c can be estimated as follows:

$$1 = \sum_{i=1}^{n} P(w_i) = \sum_{i=1}^{n} \frac{c}{r(w_i)} = c \sum_{i=1}^{n} \frac{1}{r(w_i)} = c \cdot H_t, \quad \rightsquigarrow \quad c = \frac{1}{H_t} \approx \frac{1}{\ln(t)}$$

where t is the size |V| of the vocabulary V, and  $H_n$  is the n-th harmonic number.

Constant c is language-dependent; e.g., for German  $c = 1/ln(7.841.459) \approx 0.063$ . [Wortschatz Leipzig]

Thus, the expected average number of occurrences of a word  $\boldsymbol{w}$  in a document  $\boldsymbol{d}$  of length  $\boldsymbol{m}$  is

$$m \cdot P(w)$$
,

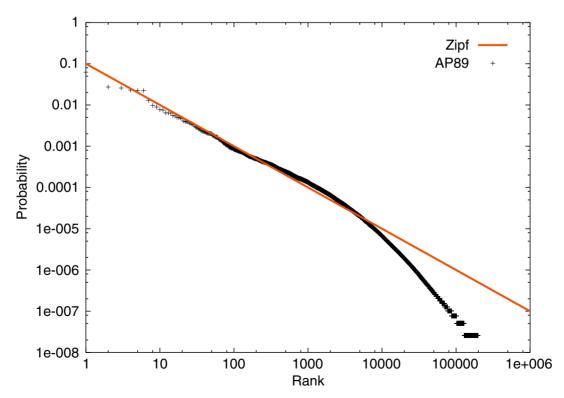
since P(w) can be interpreted as a term occurrence probability.

Term Frequency: Zipf's Law (continued)

By logarithmization a linear form is obtained, yielding a straight line in a plot:

$$\log(P(w)) = \log(c) - a \cdot \log(r(w))$$

### Example for AP89:



#### Remarks:

As with all empirical laws, Zipf's law holds only approximately. While mid-range ranks of the frequency distribution fit quite well, this is less so for the lowest ranks and very high ranks (i.e., very infrequent words). The <u>Zipf-Mandelbrot law</u> is an extension of Zipf's law that provides for a better fit.

$$n \approx \frac{1}{(r(w) + c_1)^{1+c_2}}$$

- □ Interestingly, this relation cannot only be observed for words and letters in human language texts or music score sheets, but for all kinds of natural symbol sequences (e.g., DNA). It is also true for randomly generated character sequences where one character is assigned the role of a blank space. [Li 1992]
- □ Independently of Zipf's law, a special case is <u>Benford's law</u>, which governs the frequency distribution of first digits in a number.

Term Frequency: Zipf's Law (continued)

For the vocabulary, t (types) is as large as the largest rank of the frequency-sorted list. For words with frequency 1:

$$P(w) = \frac{n_w}{N}, \ t = r(n_w = 1) = c \times \frac{N}{1} = c \times N \approx e^{1/c}$$

Proportion of word forms that occur only n time. For  $\mathbf{w}_n$  applies:

$$\mathbf{W}_n = r(n_w) - (r(n_w) + 1) = c \times \frac{N}{n} - c \times \frac{N}{n+1} = \frac{c \times N}{n(n+1)} = \frac{t}{n(n+1)}$$

For  $\mathbf{w}_1$  applies in particular:

$$\mathbf{W}_1 = \frac{t}{2}$$

Half of the vocabulary in a text probably occurs only 1 time.

Term Frequency: Zipf's Law (continued)

The ratio of words with a given absolute frequency n can be estimated by

$$\frac{\mathbf{w}_n}{t} = \frac{\frac{t}{n(n+1)}}{t} = \frac{1}{n(n+1)}$$

#### Observations:

- $\supset$  Estimations are fairly accurate for small x.
- Roughly half of all words can be expected to be unique.

### Applications:

- □ Estimation of the number of word forms that occur n times in the text.
- Estimation of vocabulary size
- Estimation of vocabulary growth as text volume increases
- Analysis of search queries
- □ Term extraction (for indexing)
- Difference analysis (comparison of documents)

*n*-grams

Word n-grams represent text as overlapping n-length subsequences.

Example: the quick brown fox jumps over the lazy dog

□ 1-grams: the, quick, brown, fox, ..., dog For English:  $c \approx 0.1$ .

*n*-grams

Word n-grams represent text as overlapping n-length subsequences.

Example: the quick brown fox jumps over the lazy dog

- □ 1-grams: the, quick, brown, fox, ..., dog
- $exttt{$\square$}$  2-grams: The quick, quick brown, brown fox,..., lazy dog For English:  $c \approx 0.1$ .

*n*-grams

Word n-grams represent text as overlapping n-length subsequences.

 $\Box$  For a sequence of  $m \ge n$  tokens, the number of n-grams is (m-n)+1.

Example: the quick brown fox jumps over the lazy dog

- □ 1-grams: the, quick, brown, fox, ..., dog
- □ 2-grams: The quick, quick brown, brown fox,..., lazy dog
- □ 3-grams: The quick brown, quick brown fox,..., the lazy dog

*n*-gram Corpora

Google: "All Our N-Grams are Belong to You"

□ Google Web 1T 5-gram Version 1: [LDC 2006]

Tokens	1,024,908,267,229
Sentences	95,119,665,584
Unigrams	13,588,391
Bigrams	314,843,401
Trigrams	977,069,902
Fourgrams	1,313,818,354
Fivegrams	1,176,470,663

- $\Box$  In general, stop word-only n-grams do not dominate on the web.
- $\ \ \, n$ -grams with less than 40 occurrences are not included (200 for n=1). Web search engines index n-grams for n>1
- floor Primary use cases for n-gram frequency datasets is language modeling, i.e., training (n-1)-order Markov models to predict the next word in a sequence.

### *n*-gram Corpora

## Example *n*-gram counts from *Google Web 1T*:

1-grams	2-grams	3-grams	4-grams	5-grams	Tokens	Sentences
13.6 million	314.8 million	977.1 million	1.3 billion	1.2 billion	1.0 trilion	95.1 billion

#### Observations:

- □ The most frequent 3-gram on the English web is all rights reserved.
- $\neg$  n-grams for  $n \ge 1$  combined fit Zipf's law better than just words. [Williams 2015]
- ullet Heap's law does not apply to n>1; other models are required. [Silva 2016]
- $\Box$  A search engine's index size grows linearly with n.
- $\Box$  For n > 1, n-gram frequency reveals phrases in common use.
- $\Box$  Indexing *n*-grams speeds up search query processing (esp. for stop words).

# **Chapter NLP:II**

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#### **Data Sources**

### Digitally available texts

- natively digital / born digital
- retro-digitzed

### Metadata: "data about data"

- structural metadata
- descriptive metadata

### "Big Data"

- 15,3 Mio .de-Domains (31.12.2012)
- 1.9 Mio articles in F.A.Z. Archive in 1949–2011
- □ 400 million Twitter tweets per day (2013)

## Newspapers

archive of political public sphere, societal knowledge or public discourse

## **Properties**

- □ representativity (?)
- availability improves

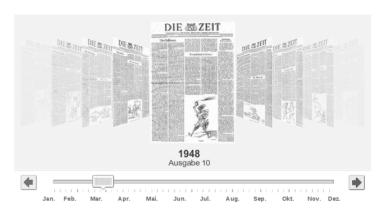
#### **Difficulties**

- □ licences
- bad OCR

## Example: DIE ZEIT

- □ http://www.zeit.de/archiv
- articles since 1946
- 400.000 articles
- PDF + OCR-ed Text

#### **DIE ZEIT: Jahrgang 1948**



Date ← 1948-05-12
Author(s) ← {"GH", "geh", "Gerda Heller"}
Page number ← {1, 1-2}
Section(s) ← {"Sport", "Leibesübungen"}
Subsection(s) ← "Handball"
News agency ← {true|false; "dpa"}

Date String[] Integer String[] String Boolean

### Blogs and Forums

## Extract of (political) public discourse

## **Properties**

- expert generated content
- user generated content (comments)

## **Properties**

- high availability
- lesser license restrictions
- no OCR problems

#### **Difficulties**

- identifying relevant content
- representativity of content?
- Crawling + Web scraping



Date ← 2012-11-12 21:40
Author(s) ← {"E. F."}
Url ← {"http://www.blogactiv.eu/blog/31/123"}
PolicyField ← "Agriculture"
numberOfComments ← 216
numberOfReadings ← 12002

#### Social network

### controlled public spheres

## **Properties**

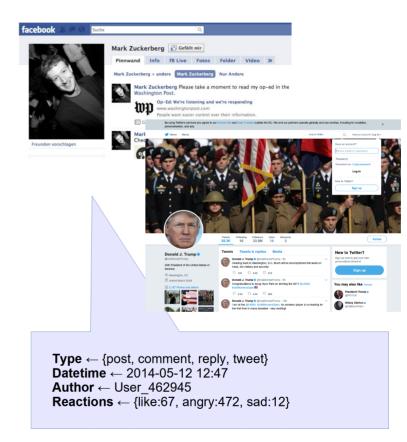
- just in time
- really big data

### **Difficulties**

- very short text snippets
- typos and special language
- representativity?
- Data acquisition may be complicated

## Data acquisition via APIs

- □ Twitter sample API (1%)
- Twitter keyword location search
- Facebook API: retrieve user networks and (public) posts, comments, replies from users



### Other Sources

- Emails
- Parliamentary protocols
- Political documents
  - political speeches
  - party manifestos
  - press releases
- Open questions from (online) surveys
- Literature: distant reading of (world) literature
- Scientific publications: lots of science of science studies